

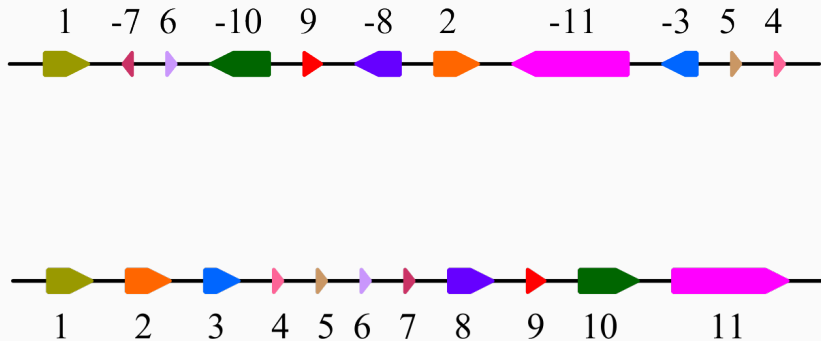
Reconstruction of ancestral gene orders

Pedro Feijao

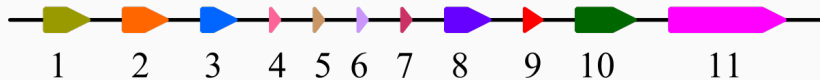
Banff, February 17, 2017



Introduction

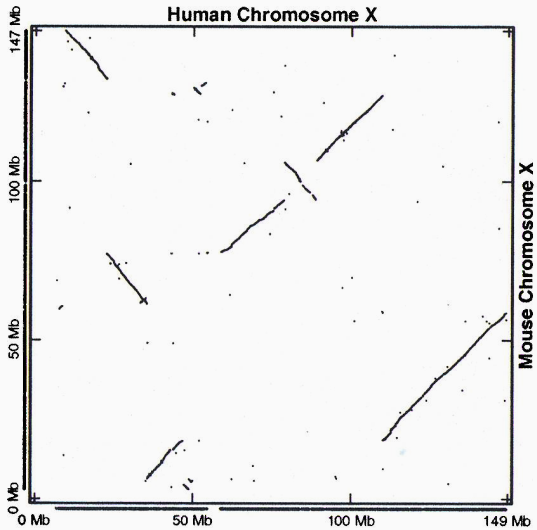


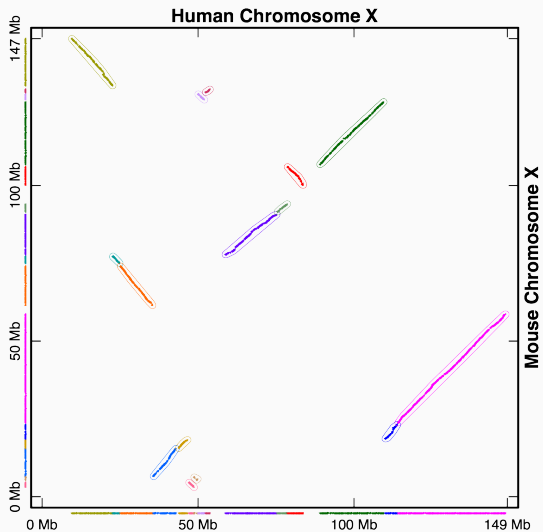
Mouse X-Chromosome



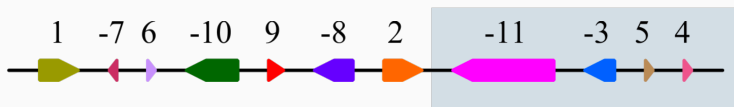
Human X-Chromosome

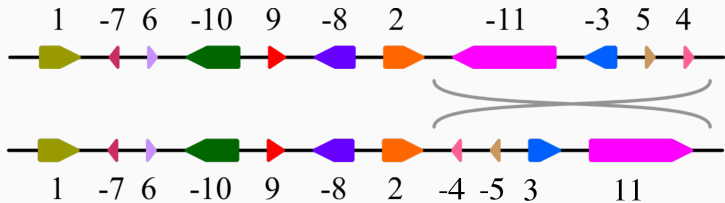
(Pevzner and Tesler, 2003)











- **Distance:** Minimum # of rearrangements from A to B ?

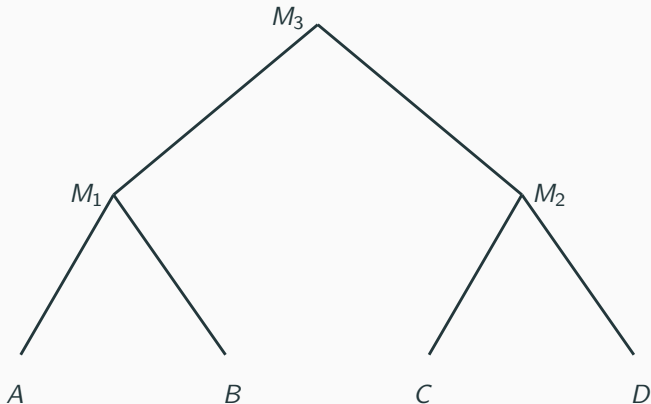
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- **Scenario:** Which rearrangements? (also called *Sorting*)

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- **Scenario:** Which rearrangements? (also called *Sorting*)
- **Phylogeny:** How did the genomes evolve?
- **Ancestral Reconstruction:** How do the ancestors look like?



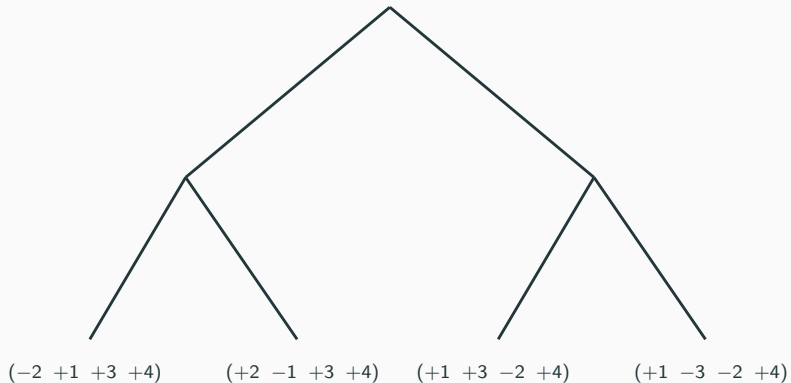
Ancestral Reconstruction

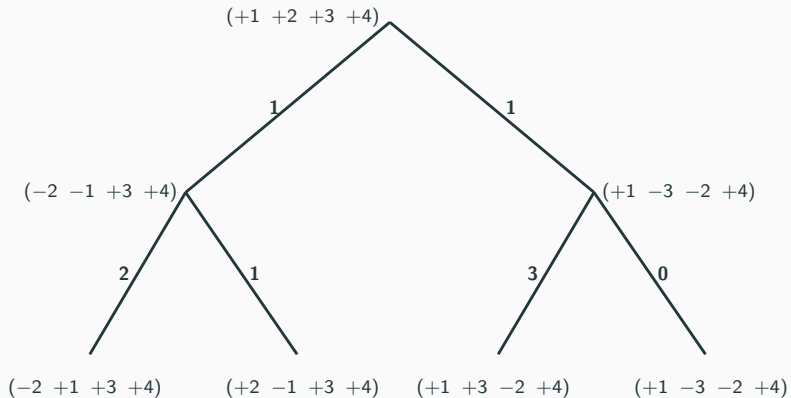


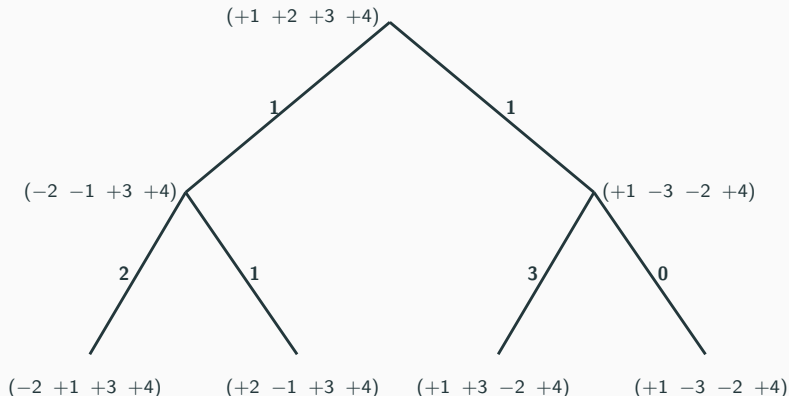
Input: Tree and genomes A, B, C, D

Output: Ancestral genomes (M_1, M_2, M_3)

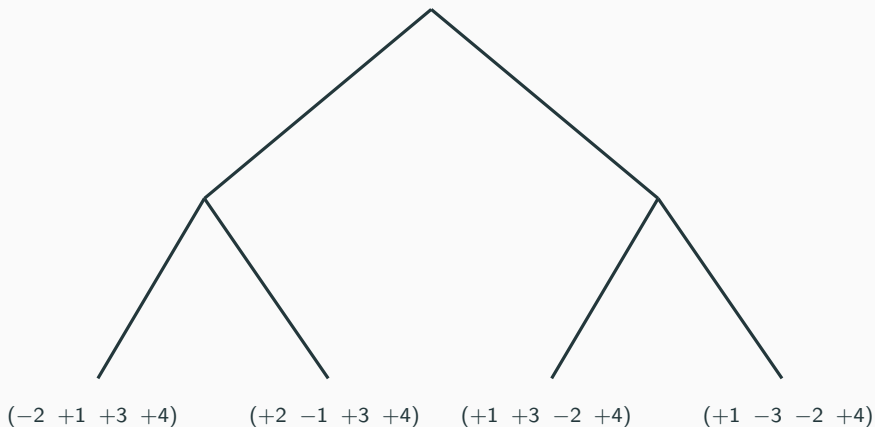
- Distance-based Methods
- Homology-based Methods

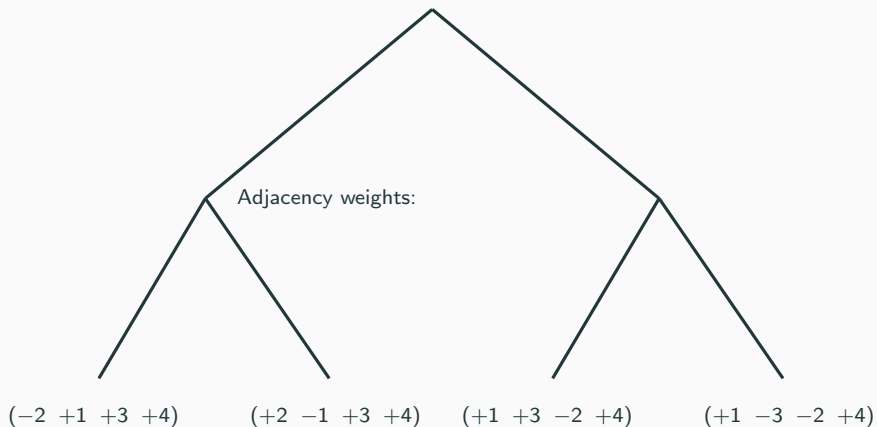


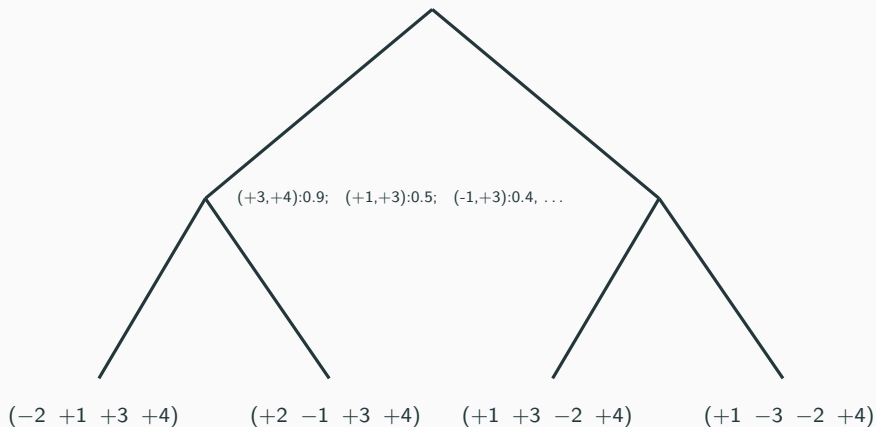




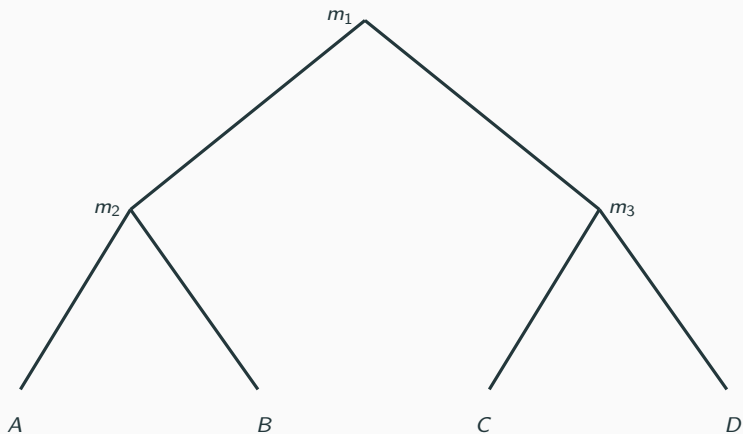
Find ancestral genomes that **minimize events** on the tree
 → **Small Parsimony Problem**

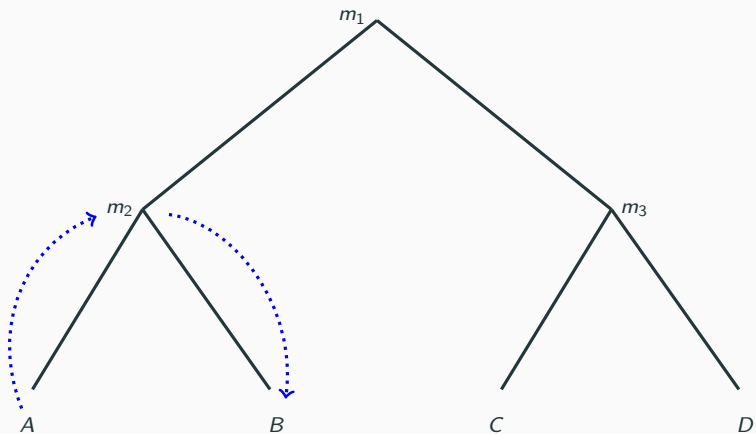






- Distance-based methods:
 - Assume a rearrangement model
 - Minimize branch lengths
- Homology-based methods:
 - Find conserved structures
 - Maximize some weight/probability function





Ancestral Reconstruction where internal nodes
are
Intermediate Genomes of its children.

Definitions



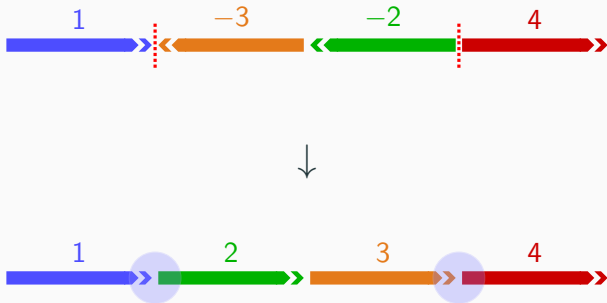




$$A = \{\circ 1^t, 1^h 2^t, 2^h 3^h, 3^t 4^t, 4^h \circ\}$$





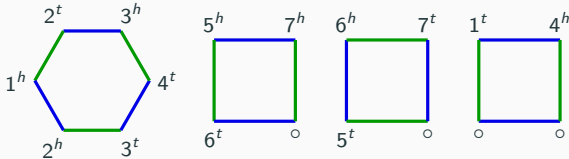


$$A = \{\circ 1^t, 1^h 2^t, 2^h 3^t, 3^h 4^t, 4^h \circ, \circ 5^t, 5^h 6^t, 6^h 7^t, 7^h \circ\}$$

$$B = \{1^h 2^h, 2^t 3^h, 3^t 4^t, 4^h 1^t, \circ 6^t, 6^h 5^t, 5^h 7^h, 7^t \circ\}$$

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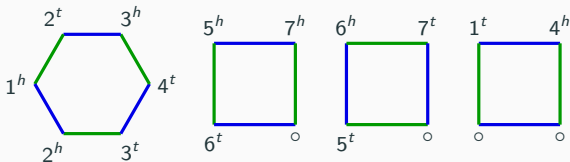
A -edges are drawn in green, and B -edges in blue.

$$d_{\text{DCJ}}(A, B) = N - C$$

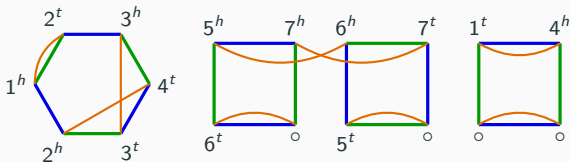
where N is the number of genes and C is the number of cycles in $BP(A, B)$.

(Bergeron et al, 2006)

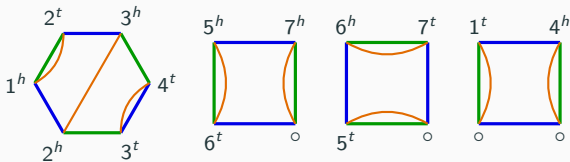
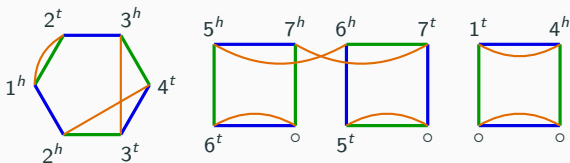
Genomes are **matchings** in the BP graph:



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Edges are non-crossing chords in the cycles of $BP(A, B)$

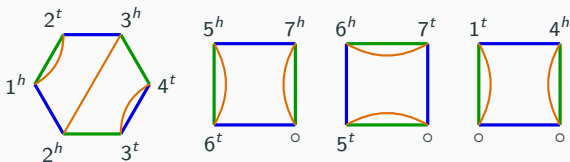


Intermediate Genome of A and B

Edges are non-crossing chords in the cycles of $BP(A, B)$

\Rightarrow

Intermediate Genome of A and B



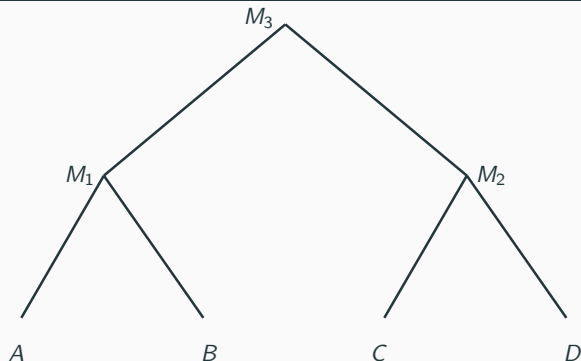
- Very easy to detect (linear time)

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- Reduces the search space. In the example:

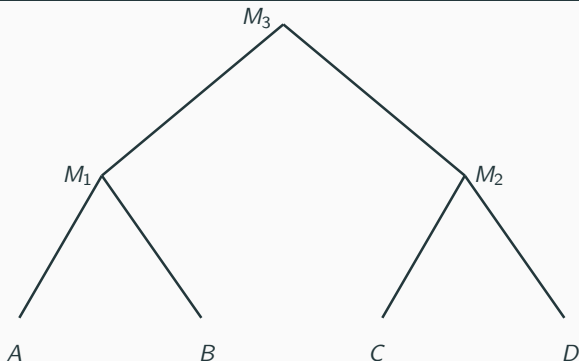
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 - 34,459,425 possible genomes

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- Reduces the search space. In the example:
 - 34,459,425 possible genomes
 - Only 40 intermediate genomes between A and B.

Methods



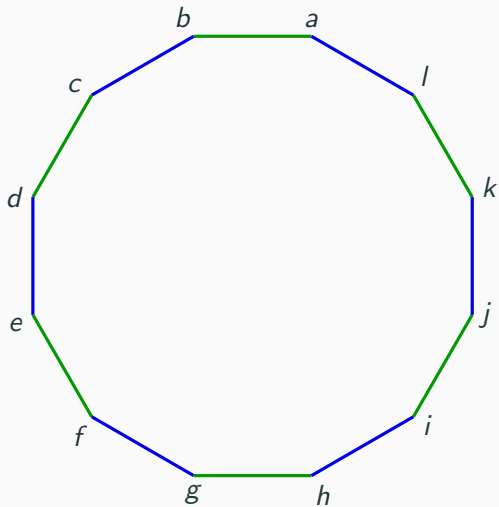
- Small parsimony with the restriction that internal nodes are IG's of the children.

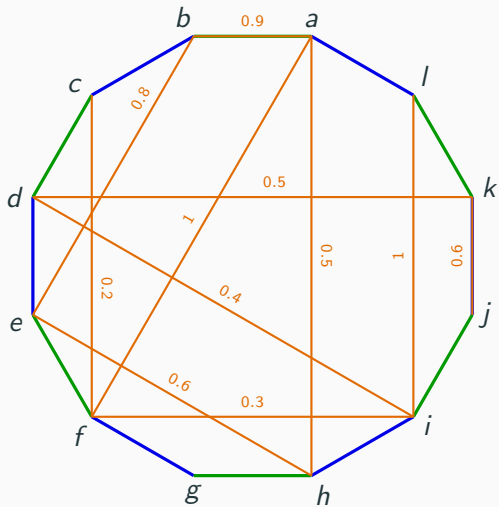


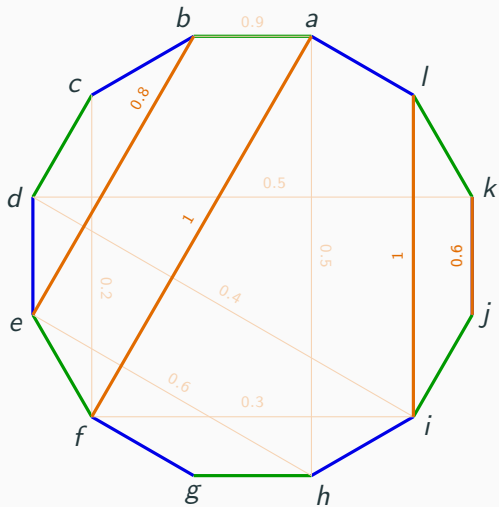
- Small parsimony with the restriction that internal nodes are IG's of the children.
- Still NP-hard

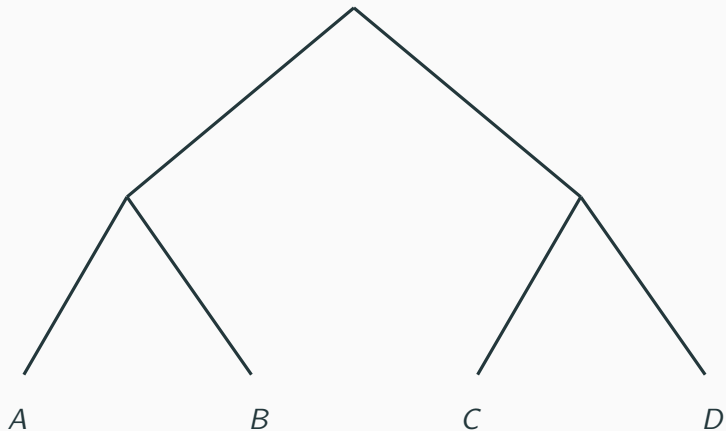
- Given adjacency weights, can we find an IG with maximum weight?
- **Maximum Weight Independent Set:** Polynomial Time

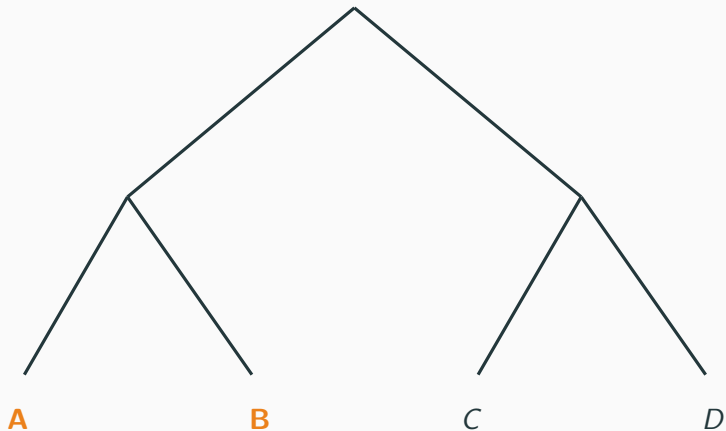
- DeClone (Chauve et al., 2015)
- New proposed algorithm based on InferCARs (Ma et al., 2006).

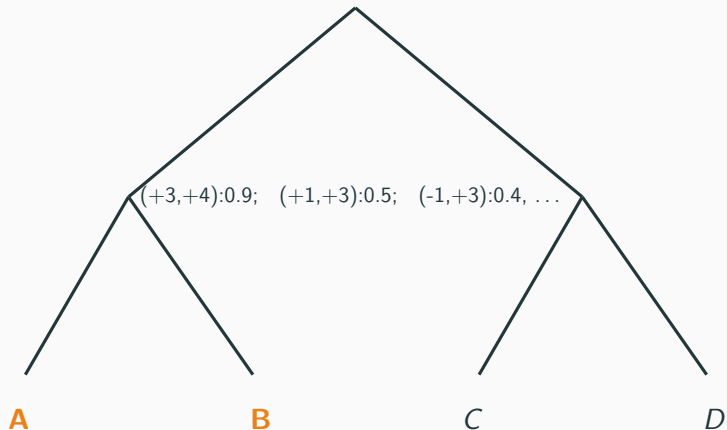


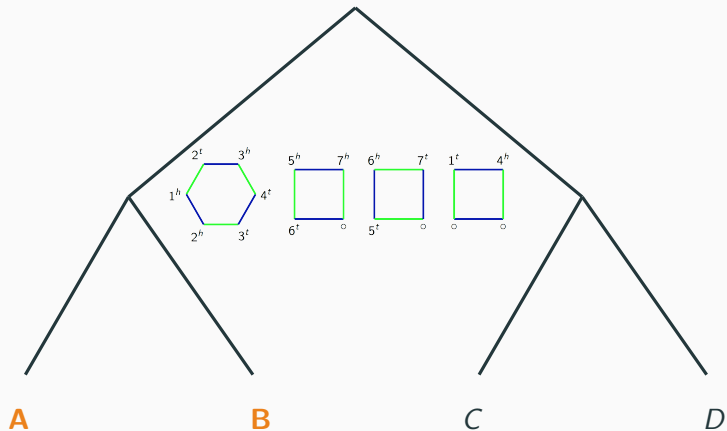


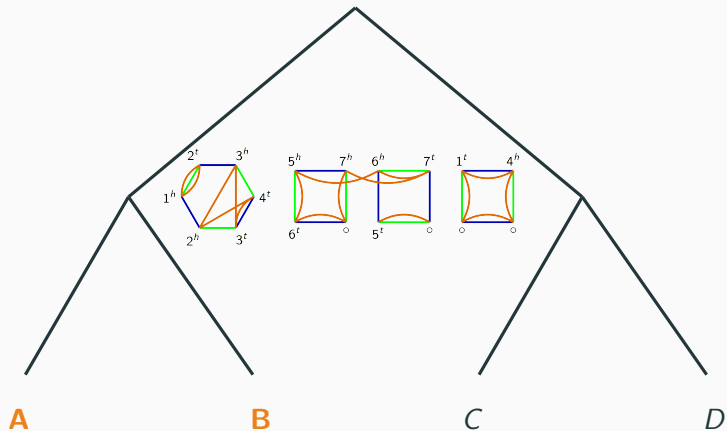


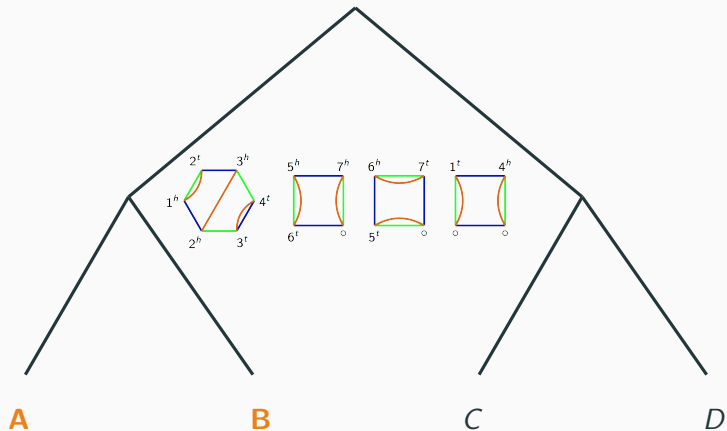


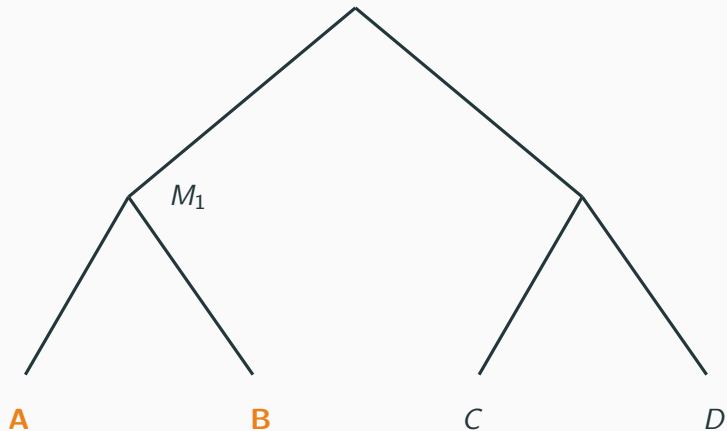




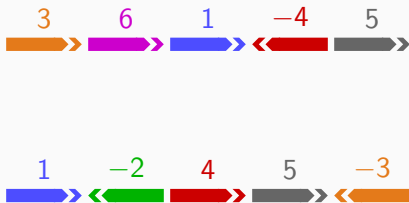








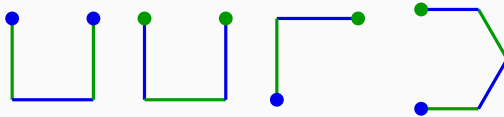


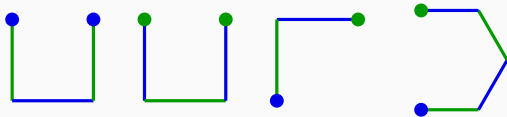


DCJ InDel Model (Braga et al., 2010; Compeau, 2012)

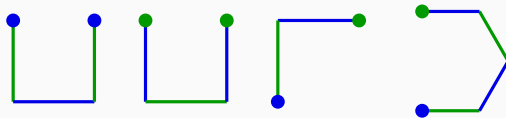






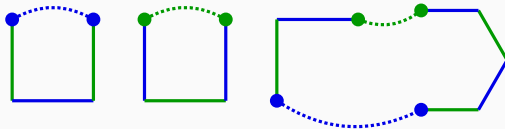


New components: AA-, BB-, AB-, A-, and B-paths.



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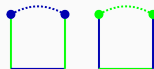
Find an **optimal completion**



New components: AA-, BB-, AB- , A-, and B-paths.

Find an **optimal completion**

- AA - and BB - components are closed



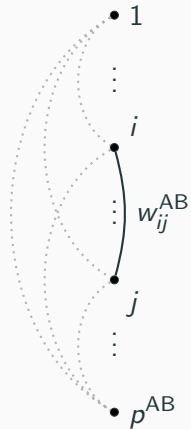
- AB - are paired



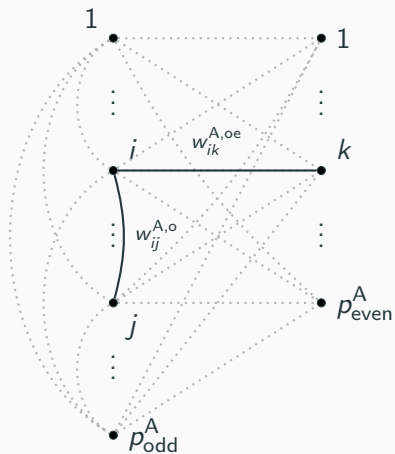
- A - and B - paths are paired, with opposing parity.
- Sometimes A -, B - and AB - paths are joined in a **triplet**.

- How to find a completion with maximum weight?
- Calculate all possible pairings and solve a *Maximum Weight Matching*

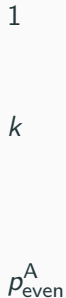
AB-paths



odd *A*-paths



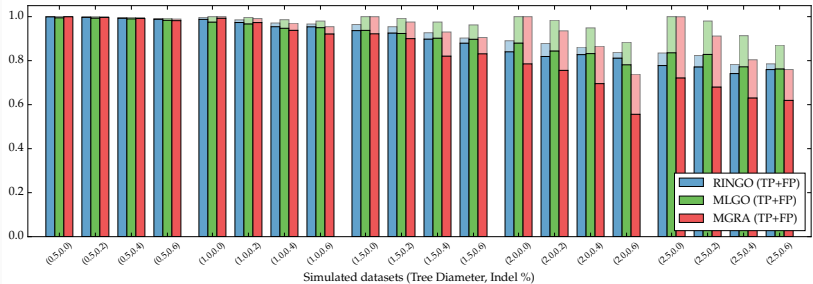
even *A*-paths

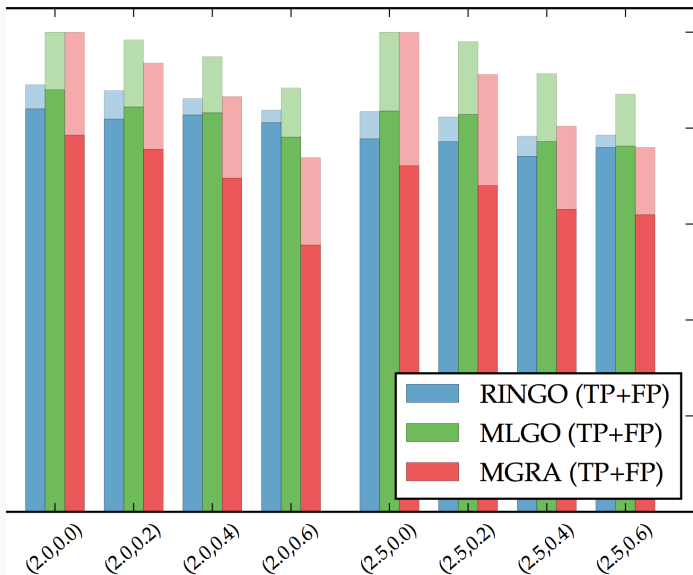


- Sometimes A -, AB -, B - triplets are possible.
- Triple matching is usually NP-hard, but it is still open in this case.

Results

- RINGO - ancestral **R**econstruction with **I**Ntermediate **G**en**O**mes (Feijao and Araujo, 2016)
- MGRA2 (Avdeyev et al., 2016)
- MLGO (Hu et al., 2014)





Dataset	$I = 1$, unitary indels				
	$0.5n$	$1n$	$1.5n$	$2n$	$2.5n$
RINGO	3s	3s	5s	7s	7s
MLGO	1m6s	1m10s	1m7s	1m9s	1m16s
MGRA	7s	1m46s	12m12s	56m55s	2h2m41s

- Duplicated genes
- Statistical models

- Elói Araújo (UFMS, Brazil)



- Jens Stoye (Bielefeld University, Germany)

Universität Bielefeld

Technische Fakultät
Genominformatik

Thanks!